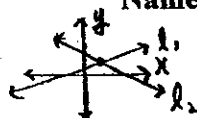
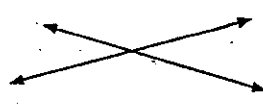
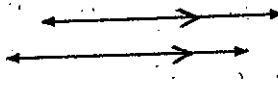
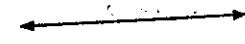
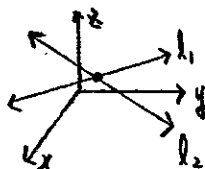


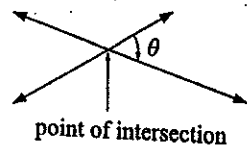
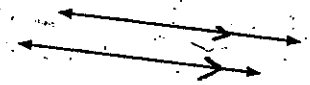
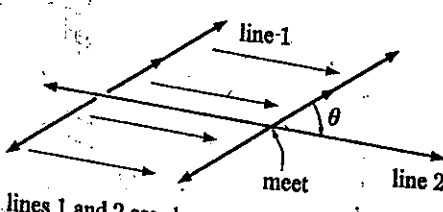
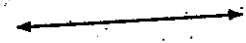
2-Dimensions ($l_1 : A_1x + B_1y = C_1$ and $l_2 : A_2x + B_2y = C_2$)



<p>Intersecting – Unique Solution</p>  $\frac{A_1}{A_2} \neq \frac{B_1}{B_2} \text{ OR } \frac{A_1}{B_1} \neq \frac{A_2}{B_2}$	<p>Parallel- No Solution</p>  $\frac{A_1}{A_2} = \frac{B_1}{B_2} \neq \frac{C_1}{C_2}$	<p>Coincident – Infinitely many solution</p>  $\frac{A_1}{A_2} = \frac{B_1}{B_2} = \frac{C_1}{C_2}$
--	--	---

3-Dimensions $l_1; \begin{cases} x = a_1 + x_1t \\ y = b_1 + y_1t \\ z = c_1 + z_1t \end{cases}$ and $l_2; \begin{cases} x = a_2 + x_2\lambda \\ y = b_2 + y_2\lambda \\ z = c_2 + z_2\lambda \end{cases}$



<p>Intersecting – Unique Solution (coplanar)</p>  $\begin{pmatrix} x_1 \\ y_1 \\ z_1 \end{pmatrix} \neq k \begin{pmatrix} x_2 \\ y_2 \\ z_2 \end{pmatrix} \Rightarrow$ <p>Find the intersection by solving $l_1 = l_2$</p> <p>(Three pairs' coordinates are coincident)</p>	<p>Parallel- No Solution (coplanar)</p>  $\begin{pmatrix} x_1 \\ y_1 \\ z_1 \end{pmatrix} = k \begin{pmatrix} x_2 \\ y_2 \\ z_2 \end{pmatrix}$ <p>Skewed – No solution (not coplanar)</p>  <p>lines 1 and 2 are skew</p> $\begin{pmatrix} x_1 \\ y_1 \\ z_1 \end{pmatrix} \neq k \begin{pmatrix} x_2 \\ y_2 \\ z_2 \end{pmatrix} \Rightarrow$ <p>Show skewed by solving $l_1 = l_2$</p> <p>(Two pairs' coordinates are coincident but one pair is not equal)</p>	<p>Coincident – Infinitely many solution (coplanar)</p>  $\begin{pmatrix} x_1 \\ y_1 \\ z_1 \end{pmatrix} = k \begin{pmatrix} x_2 \\ y_2 \\ z_2 \end{pmatrix} \text{ and } \begin{pmatrix} a_1 \\ b_1 \\ c_1 \end{pmatrix} = k \begin{pmatrix} a_2 \\ b_2 \\ c_2 \end{pmatrix}$
--	---	---

Classify the following line pairs as intersecting, skew, or parallel.

a. $l_1; \begin{cases} x = 1 + 3t \\ y = -2 - 2t \\ z = 0.5 + 2t \end{cases}$ and $l_2; x = 2 - y = z + 2$

b. $l_1; r = (1i + 2j + 3k) + (1i - j + 2)\lambda$ and $l_2; \frac{x-2}{3} = \frac{3-y}{2} = z + 5$

c. $l_1; r = (1i + 8j + 5k) + (2i - j + 3)\lambda$ and $l_2; \frac{2-x}{4} = \frac{y+1}{2} = \frac{4-z}{6}$